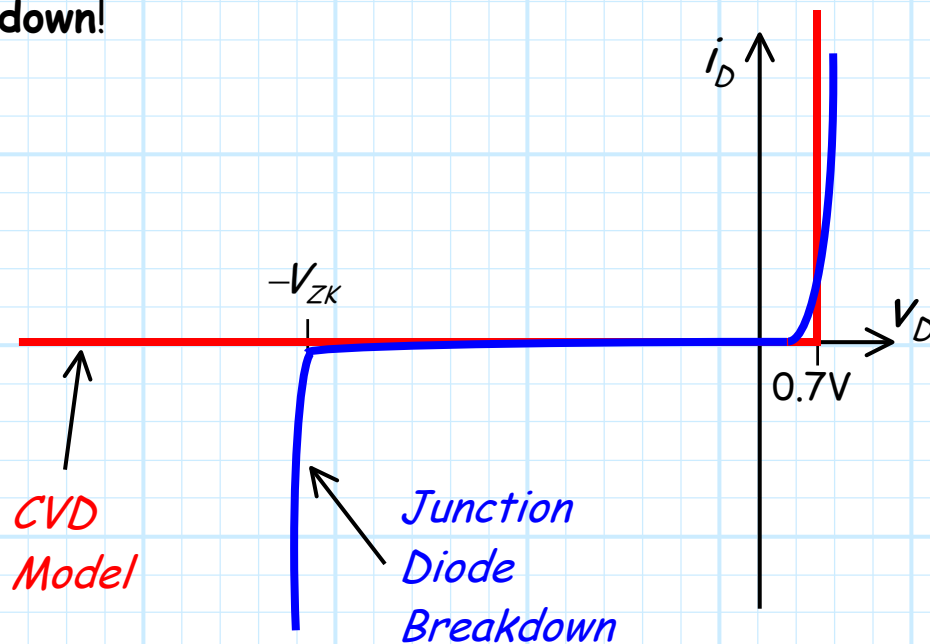


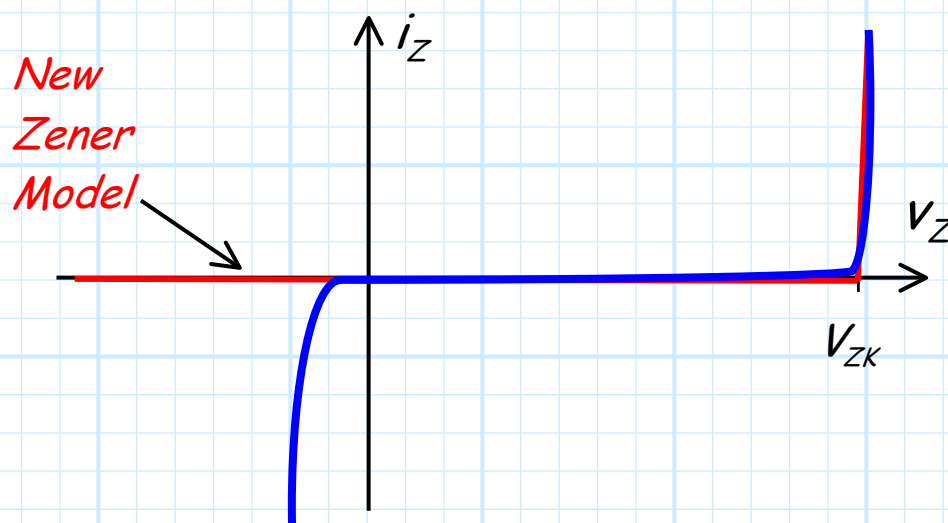
# Zener Diode Models

The conventional diode models we studied earlier were based on junction diode behavior in the **forward** and **reverse** bias regions—they did **not** “match” the junction diode behavior in **breakdown**!



However, we assume that **Zener** diodes most often operate in **breakdown**—we need **new** diode models!

Specifically, we need models that match junction/Zener diode behavior in the **reverse bias** and **breakdown** regions.



We will study **two** important zener diode models, each with **familiar** names!

1. The Constant Voltage Drop (CVD) Zener Model
2. The Piece-Wise Linear (PWL) Zener Model

## The Zener CVD Model

Let's see, we know that a Zener Diode in **reverse** bias can be described as:

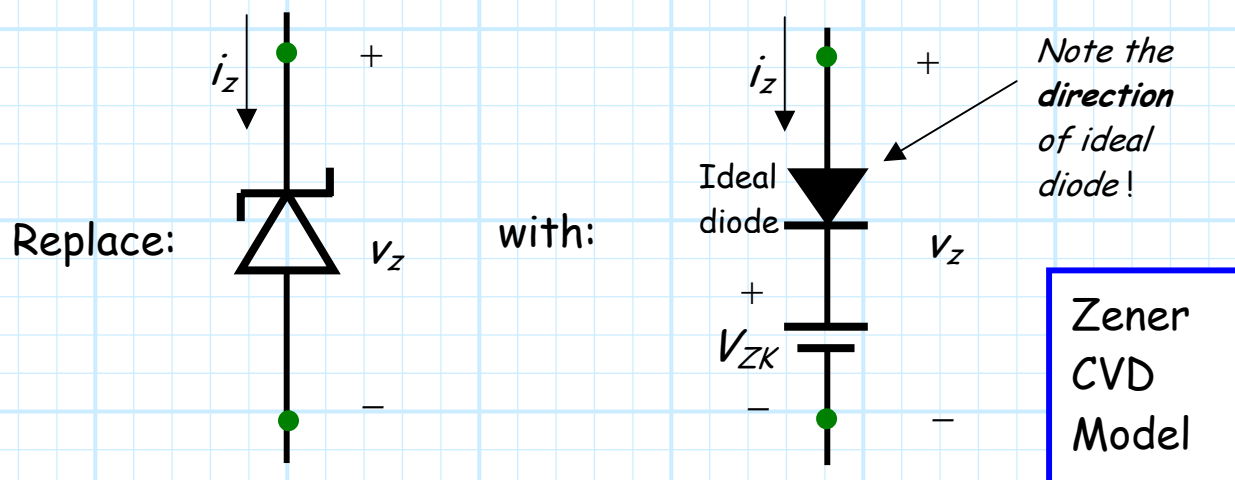
$$i_Z \approx I_s \approx 0 \quad \text{and} \quad v_Z < V_{ZK}$$

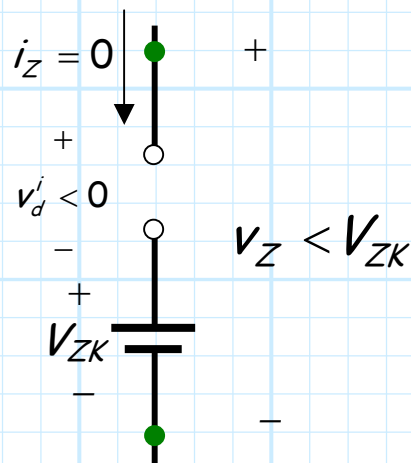
Whereas a Zener in **breakdown** is approximately stated as:

$$i_Z > 0 \quad \text{and} \quad v_Z \approx V_{ZK}$$

**Q:** Can we construct a **model** which behaves in a **similar** manner??

**A:** Yes! The **Zener CVD** model behaves precisely in this way!





Analyzing this Zener CVD model, we find that if the model voltage  $v_Z$  is less than  $V_{ZK}$  (i.e.,  $v_Z < V_{ZK}$ ), then the **ideal** diode will be in **reverse** bias, and thus the model current  $i_Z$  will equal **zero**. In other words:

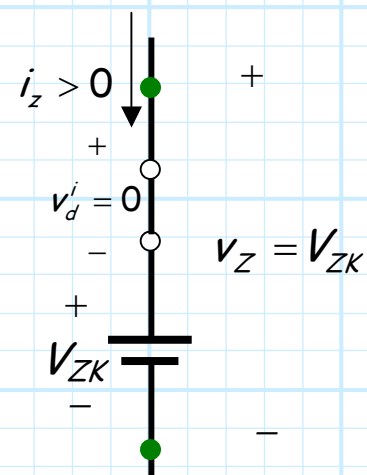
$$i_Z = 0 \quad \text{and} \quad v_Z < V_{ZK}$$

Just like a **Zener** diode in **reverse bias**!

Likewise, we find that if the model current is positive ( $i_Z > 0$ ), then the **ideal** diode must be **forward** biased, and thus the model voltage must be  $v_Z = V_{ZK}$ . In other words:

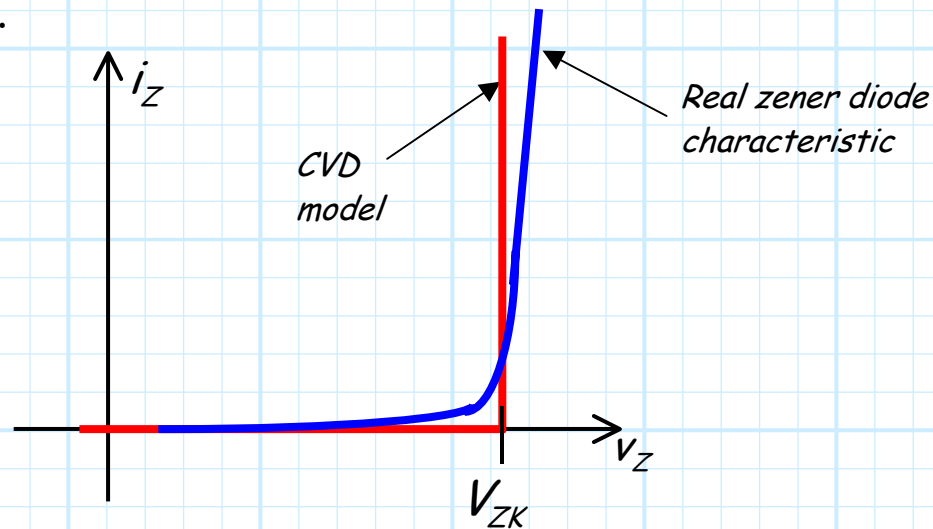
$$i_Z > 0 \quad \text{and} \quad v_Z = V_{ZK}$$

Just like a **Zener** diode in **breakdown**!



**Problem:** The voltage across a zener diode in breakdown is **NOT EXACTLY** equal to  $V_{ZK}$  for all  $i_Z > 0$ . The CVD is an **approximation**.

In **reality**,  $v_Z$  increases a very small (tiny) amount as  $i_Z$  increases.

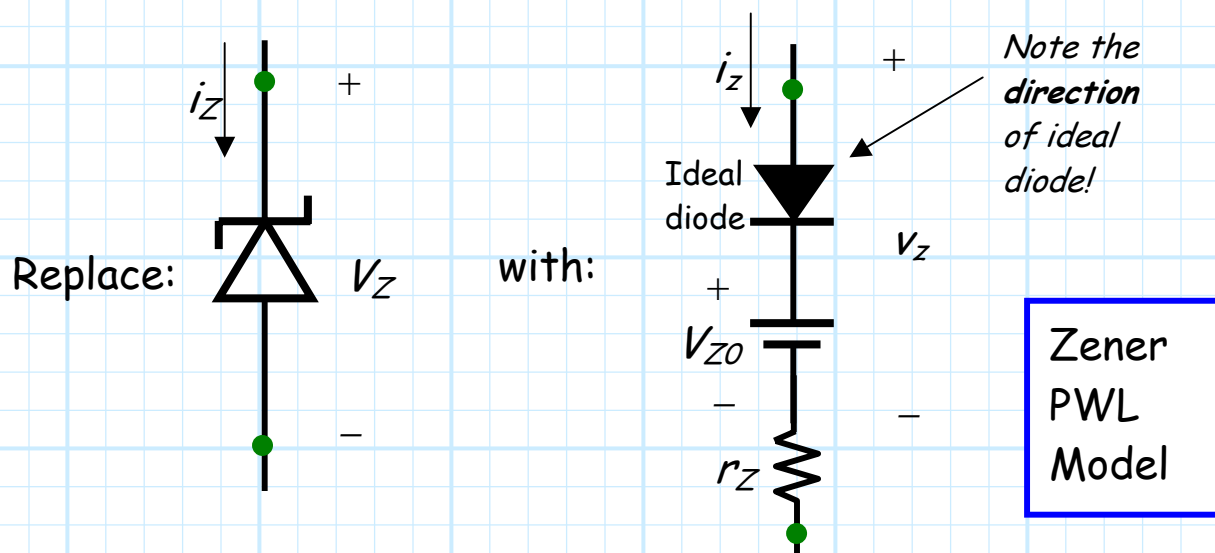


Thus, the CVD model causes a **small** error, usually acceptable—but for some cases **not**!

For these cases, we require a **better** model:

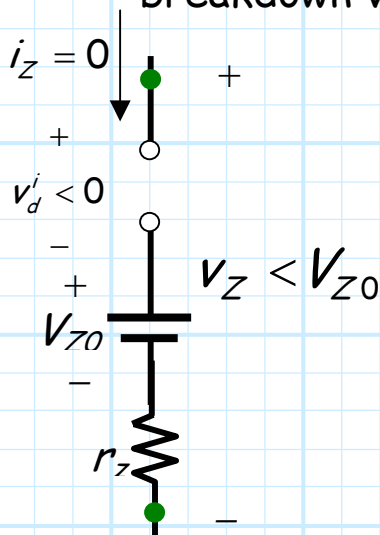
→ The Zener (PWL) Piece-Wise Linear model.

### The Zener Piecewise Linear Model



## Please Note:

- \* The PWL model includes a **very small** series resistor, such that the voltage across the model  $v_Z$  **increases slightly** with increasing  $i_Z$ .
- \* This small resistance  $r_Z$  is called the **dynamic resistance**.
- \* The voltage source  $V_{Z0}$  is **not** equal to the zener breakdown voltage  $V_{ZK}$ , however, it is typically **very close**!



Analyzing this Zener PWL model, we find that if the model voltage  $v_Z$  is less than  $V_{Z0}$  (i.e.,  $v_Z < V_{Z0}$ ), then the **ideal** diode will be in **reverse** bias, and the model current  $i_Z$  will equal zero. In other words:

$$i_Z = 0 \quad \text{and} \quad v_Z < V_{Z0} \approx V_{ZK}$$

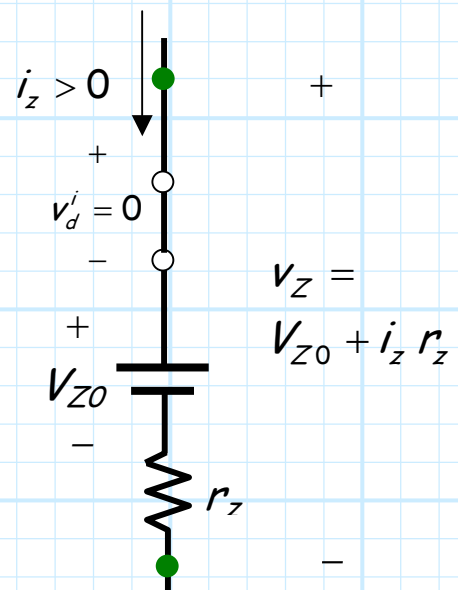
Just like a **Zener** diode in **reverse bias**!

Likewise, we find that if the model current is positive ( $i_Z > 0$ ), then the **ideal** diode must be **forward** biased, and thus:

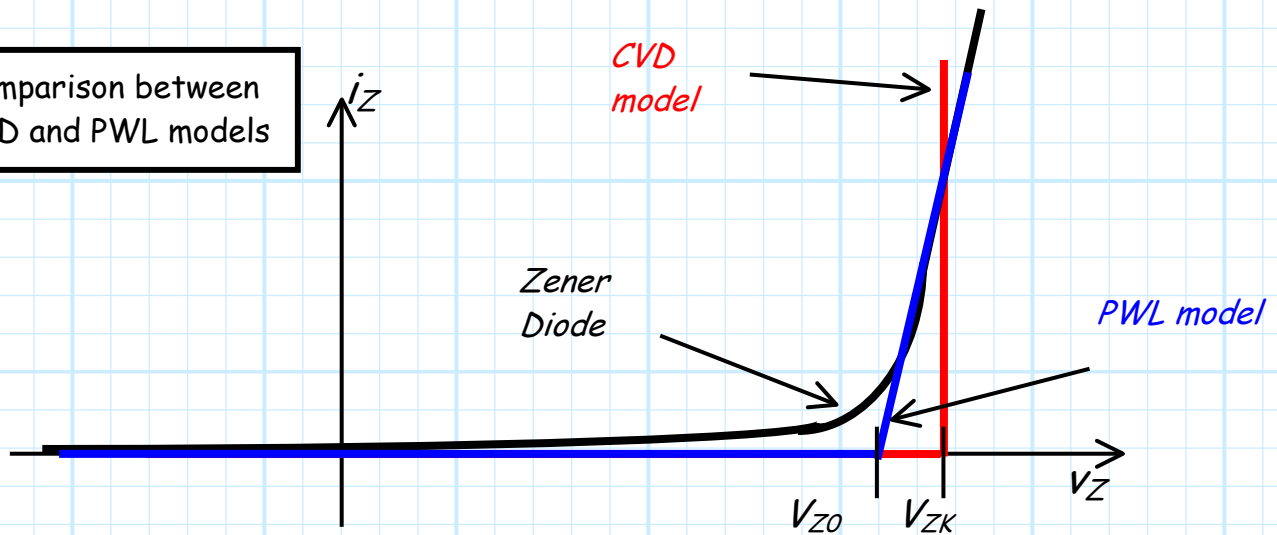
$$i_Z > 0 \quad \text{and} \quad v_Z = V_{Z0} + i_Z r_Z$$

Note that the model voltage  $v_Z$  will be near  $V_{ZK}$ , but will increase **slightly** as the model current increases.

Just like a **Zener** diode in **breakdown**!

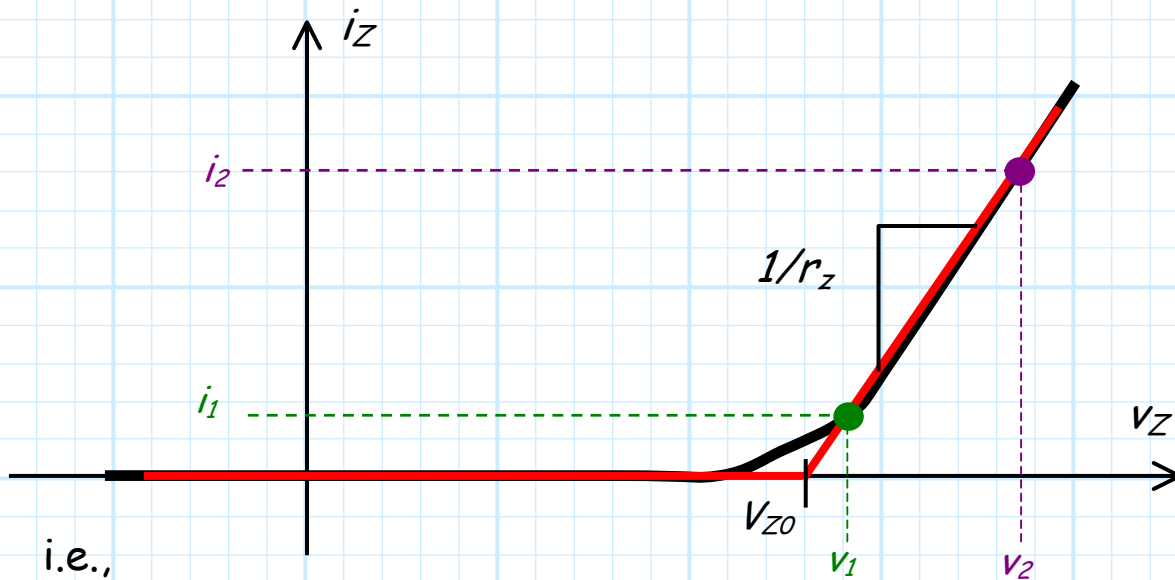


Comparison between CVD and PWL models



**Q:** How do we **construct** this PWL model (i.e., find  $V_{Z0}$  and  $r_z$ )?

**A:** Pick **two points** on the zener diode curve ( $v_1, i_1$ ) and ( $v_2, i_2$ ), and then select  $r_z$  and  $V_{Z0}$  so that the PWL model line **intersects** them.



$$r_z = \frac{v_2 - v_1}{i_2 - i_1}$$

and

$$V_{z0} = v_1 - i_1 r_z \quad \text{or} \quad V_{z0} = v_2 - i_2 r_z$$